







# Fault scarps





# California









# Grand Canyon









#### California







# California



# Fault scarps





#### Taiwan









#### Taiwan













Determination of the magnitude of an earthquake graphically.

 $M_L = \log_{10} A(mm) + (\text{Distance correction factor})$ 





Seismologists measure the size of an earthquake using the concept of seismic moment. It is defined as the force times the distance from the center of rotation (torque). The moment can be expressed suprisingly simple as:

$$M_0 = \mu A d$$

M<sub>o</sub> seismic moment μ Rigidity A fault area d slip/displacement





## Static Displacements





Ground displacement at the surface of a vertical strike slip.

Top right: fault parallel motion Lower left: fault perpendicular motion Lower right: vertical motion



## Static Displacements





Displacements after Turkey earthquake 1999.













 $M_0 = \mu A d$ 

There are differences in the scaling of large and small earthquakes



There is a standard way of converting the seismic moment to magnitude  $M_w$ :

$$M_{w} = \frac{2}{3} \left[ \log_{10} M_{0} (dyne - cm) - 16.0 \right]$$







Richter developed a relationship between magnitude and energy (in ergs)

$$\log E_{s} = 11.8 + 1.5M$$

... The more recent connection to the seismic moment (dyne-cm) (Kanamori) is

Energy = Moment / 20000



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Richte Magnit	r TNT for Seisr tude Energy Yie	nic Example Id (approximate)
-1.5	6 ounces	Breaking a rock on a lab table
1.0	30 pounds	Large Blast at a Construction Site
1.5	320 pounds	
2.0	1 ton	Large Quarry or Mine Blast
2.5	4.6 tons	
3.0	29 tons	
3.5	73 tons	
4.0	1,000 tons	Small Nuclear Weapon
4.5	5,100 tons	Average Tornado (total energy)
5.0	32,000 tons	
5.5	80,000 tons	Little Skull Mtn., NV Quake, 1992
6.0	1 million tons	Double Spring Flat, NV Quake, 1994
6.5	5 million tons	Northridge, CA Quake, 1994
7.0	32 million tons	Hyogo-Ken Nanbu, Japan Quake, 1995;
		Largest Thermonuclear Weapon
7.5	160 million tons	Landers, CA Quake, 1992
8.0	1 billion tons	San Francisco, CA Quake, 1906
8.5	5 billion tons	Anchorage, AK Quake, 1964
9.0	32 billion tons	Chilean Quake, 1960
10.0	1 trillion tons	(San-Andreas type fault circling Earth)
12.0	160 trillion tons	(Fault Earth in half through center, OR
		Earth's daily receipt of solar energy)





Seismic moment and magnitude

- Fault scarps
- Elastic rebound
- Richter scale
- Energy of earthquakes
- Seismic moment
- Fault area, horizontal slip

#### Fault plane solutions

- Fault displacement and double couple
- Source radiation pattern
- Beach balls
- Fault plane solutions







### The radiation from seismic sources is in general strongly direction-dependent







The basic physical model for a source is two fault planes slipping in opposite directions







### Our goal: find the fault plane and the slip direction







Point sources can be described by the seismic moment tensor M. The elements of M have clear physical meaning as forces acting on particular planes.



	Beachball	Moment Tensor	Beachball	Moment Tensor
exp		$-\frac{1}{\sqrt{3}}\left(\begin{array}{rrr}1 & 0 & 0\\ 0 & 1 & 0\\ 0 & 0 & 1\end{array}\right)$		$\frac{1}{\sqrt{3}} \left( \begin{array}{rrr} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{array} \right)$
vert		$\frac{1}{\sqrt{2}} \left( \begin{array}{ccc} 0 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & -1 \end{array} \right)$		$\left  \begin{array}{ccc} -\frac{1}{\sqrt{2}} \left( \begin{array}{ccc} 0 & 0 & 0 \\ 0 & 0 & 1 \\ 0 & 1 & 0 \end{array} \right) \right.$
ve		$\frac{1}{\sqrt{2}} \left( \begin{array}{ccc} 0 & 0 & 1 \\ 0 & 0 & 0 \\ 1 & 0 & 0 \end{array} \right)$		$\frac{1}{\sqrt{2}} \left( \begin{array}{ccc} 0 & 1 & 0 \\ 1 & 0 & 0 \\ 0 & 0 & 0 \end{array} \right)$
45		$rac{1}{\sqrt{2}}\left(egin{array}{cccc} 1 & 0 & 0 \ 0 & 0 & 0 \ 0 & 0 & -1 \end{array} ight)$		$\left \begin{array}{cccc} \frac{1}{\sqrt{2}} \left(\begin{array}{ccc} 1 & 0 & 0\\ 0 & -1 & 0\\ 0 & 0 & 0 \end{array}\right)\right $
		$\frac{1}{\sqrt{6}} \left( \begin{array}{rrrr} 1 & 0 & 0 \\ 0 & -2 & 0 \\ 0 & 0 & 1 \end{array} \right)$		$\frac{1}{\sqrt{6}} \left( \begin{array}{rrr} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & -2 \end{array} \right)$
comp		$-\frac{1}{\sqrt{6}} \left( \begin{array}{ccc} -2 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{array} \right)$	Ο	$\frac{1}{\sqrt{6}} \left( \begin{array}{rrr} -2 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{array} \right)$
	vitto el Agrico.			

explosion - implosion

vertical strike slip fault

vertical dip slip fault

45° dip thrust fault

compensated linear vector dipoles











Normal Faulting





Thrust Faulting



**Oblique** Normal



270 < λ < 360 Φ<sub>f</sub> Basis fault types and their appearance in the focal mechanisms. Dark regions indicate compressional P-wave motion.







*Fried eggs:* simultaneous vertical extension and horizontal compression



Beachballs - Himalaya







Beachballs - global







## Radiation from shear dislocation





First motion of P waves at seismometers in various directions.

The polarities of the observed motion is used to determine the point source characteristics.





Focal mechanism for an oblique-slip event.



P-wave polarities and relative amplitudes

S-wave polarizations and amplitudes





Far away from the source (far-field) seismic sources are best described as point-like double couple forces. The orientation of the inital displacement of P or S waves allows estimation of the orientation of the slip at depth.

The determination of this focal mechanism (in addition to the determination of earthquake location) is one of the routine task in observational seismology. The quality of the solutions depends on the density and geometry of the seismic station network.

The size of earthquakes is described by magnitude and the seismic moment. The seismic moment depends on the rigidity, the fault area and fault slip in a linear way. Fault scarps at the surface allow us to estimate the size of earthquakes in historic times.