

Rotational Motions From Teleseismic Events Modelling and Observations

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Abstract Currently only ring lasers technology is capable of recording rotational motions resulting from earthquakes with a sensitivity and frequency band that are interesting for broadband seismology. One of those instruments is located at the Geodetic observatory in Wettzell/Germany. Here we present theoretical studies of rotational motions simulated with different Earth models and comparisons with several observations at the modified to also allow the output of rotational seismograms. The Earth models used in these simulations range from simple radially symmetric by comparison of the theoretical rotation rates with the ring laser data we show how the results converge to the observed rotation rates when using more realistic Earth models. In a second step we compare rotation rates to the transverse component of translational acceleration Wettzell ring laser. The 3-D global simulations were performed with the Spectral Element Method (Komatitsch and Tromp 2002a,b), that was obtained from simulations with 3D velocity structures in crust and mantle. As expected from theory - under the assumption of plane wave propagation - those two signals should be in phase and scale linearly with the phase velocity. Using this relation, it is possible to determine the such as PREM, to more complex models including 3D velocity structures, attenuation and geometric effects like topography and bathymetry. local phase velocity of transverse signals from collocated measurements of rotations and transverse accelerations. Thus, ones, both

$\Omega_z(\mathbf{x}, t) = -v_y \frac{k_x}{2} cos(k_x x - \omega t)$ $\dot{\mathbf{v}}(\mathbf{x},t) = -v_y \omega \cos(k_x x - \omega t)$ $\mathbf{v}(\mathbf{x},t) = v_y sin(k_x x - \omega t)$ $\cdot > |C_z$ shows how to derive this, assuming Love waves polarized in the y plane and travelling in x direction. $\dot{v}=rac{m}{M}$ is is the approximation of horizontal Love wave phase velocities and phase velocity dispersion relation at a single In the last decades it has been noted [e.g., Aki & Richards 2002] motions. The possible applications of rotation rate measurements are still being explored. One such application station (i.e., by a collocated measurement ightarrow no seismometer array is needed) [Igel et al. 2004]. Equation (1) measurement of rotational motions in seismology is needed in addition to the classical translational the acceleration, Ω is the vector of rotation rate, and c is the phase velocity. **Rotational Motions** Why that the

technology for the study of source dynamics in the Los Angeles Basin, California. This will be the testing ground of the latest generation of ring lasers, the GeoSensor. The GeoSensor is the first purpose built selsmological ring laser gyroscope. Observation of rotational motions may also be interesting in the near field of earthquakes [Takeo 1998]. There are ongoing plans to use ring laser $c = \frac{2\omega}{kx} = 2c$

to the data increases rapidly with model improvements. An symmetry with the Swave amplitude (first onset shortly before 1400 s) and the factor amp is the ratio of synthetic to real data. used different models - from a simple radially symmetric velocity structure with a and rotation. The resulting rotational motions at station Wettzell/Germany from four of those simulations for the Sep. 25 2003 Tokachi-Oki earthquake are shown For the first simulations with the spectral element method we point source to complex models incorporating 3D velocity models (S20RTS [Ritsema et. al 2000]), topography/bathymetry, anelasticity and the effects of Earth's gravity to the right together with the real data of the ringlaser. It can be seen that the fit Modelling







Observations Wettzell/Germany skachi-Oki Earthquake 2003 - Rotation Rate: Data (bottom trace) and Syn 2600 2800 radially symmetric - point source amp=16.41 radially symmetric - finite source amp=1.97 2400 2000 2200 Time [s] 3D - point source amp=0.70 3D - finite source amp=0.71 1800 1600 1400

(red) of three earthquakes that were recorded with the ring laser (black) using the best fitting model from above (3D velocity structure, topography/bathymetry, anelasticity, transverse isotropy, Earth's rotation and gravity field). The difference in fit can be explained by the dif-On the left are shown the simulated rotational motions ferent magnitudes (signal/noise in ring laser data), different epicentral distances (sensitive to different model depths) and different source models.

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Observations - Measurement Principle

Sagnac (1913): Two counter-propagating light beams within a ring shaped active laser cavity of an interferometer experience a path length difference when the instrument is rotating with respect to the inertial frame.

by the instrument, P the perimeter of the instrument, λ the wavelength m the surface normal, and Ω the vector of rotation rate. A He-Ne-gas laser with $\lambda = 633$ nm is used for the gyroscope at WettZell *Frequency*) by superposition of the two beams. We have $\delta f = \frac{4A}{\lambda T} \mathbf{n} \cdot \mathbf{\Omega}$, where A is the area covered $(A = 16 \, m^2)$ and the resulting Sagnac-Frequency for Earth's rotation is $\delta f = 438.6 \, \text{Hz}$. The smallest rotation rate measurable amounts to about $10^{-10} \frac{\text{gd}}{\text{cd}}$. The difference in effective path length for the two beams results in a beat frequency δf (the Sagnac-

This instrument offers a wide dynamic range of $\check{ ext{operation}}$ reaching from geophysical signals of $T\leq$ $100\,\mathrm{ms}$ to $T>24\,\mathrm{h}$. This range comprises transient excitations by local and distant earthquakes as well as very small changes of orientation by e.g. ocean loading.





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Time (s)

Estimation of Phase Velocities - Observations and Simulations

As shown in Equation (1) it is theoretically possible to derive the horizontal phase velocity at a specific location with to collocated measurements of transverse acceleration and vertual rotation rate. Applying this to the real data observed at Wettsell we can get estimates of the horizontal phase velocity as a function of time using a 30 s sliding window of the two components (upper seismograms). The same is done for the simulated data (middle). The lower graphs show the derived phase velocities for the observed data (black crosses) and the synthetics (red circles).



Conclusions

• Seismic rotations (vertical component) are a new consistent observable for seismology

- Estimates of horizontal phase velocities from collocated measurements of rotations and translations are compatible with theoretical studies
- Observations of rotations allow new processing techniques with the potential for complementary information on structure and source

Spectral element simulations McLeod, D.P., Schreiber, 0; Schreiber, K.U., Klügel,